Expanding Room for Tacit Knowledge in Mathematics Education

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Mathematics is not a popular subject

Facts:

- Pupils and students are equally intelligent as before
- Mathematics teachers are trying hard
- The negative attitude is long-lasting

What do we do wrong?

Motto 1:

In mathematics you don't understand things. You just get used to them.

> Johann von Neumann (1903 - 1957)

Motto 2:

We used to think that if we knew one we knew two because one and one are two. We are finding that we must learn a great deal more about "two".

Sir Arthur Eddington (1882 - 1944)

Teaching Mathematics is Pure Education

Will *Mathematics* follow the destiny of *Latin*?

Business persistency depends on:

- Accountability and responsiveness to the community
- Opening channels for information exchange with its environment
- Building loyalty of your clients

Teaching Mathematics is a Form of Business

Implications for Mathematics teachers:

- Identify its "market value"
- Invite people to share your and their visions
- Form their personal ties to Mathematics
- Learn from Management courses (Knowledge Management, in our case)

Knowledge: Result of Learning

What do we gain during learning?

- Explicit Knowledge:
 - Articulated
 - Codified
 - Stored using certain media
- Tacit Knowledge:
 - Only in human brains
 - Guides our activities
 - The owner may not be aware of it

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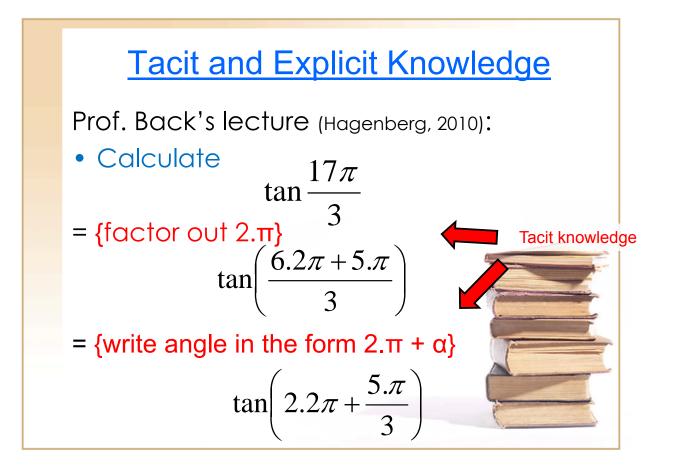
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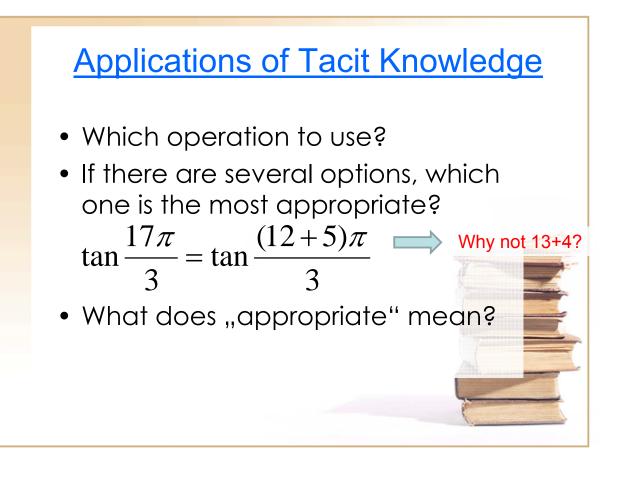
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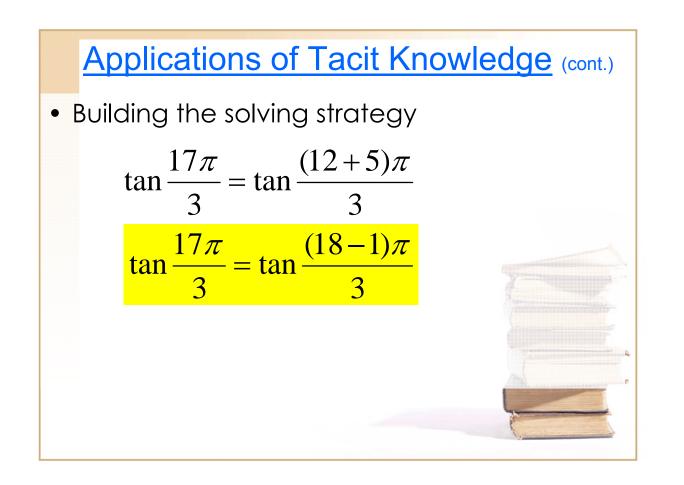
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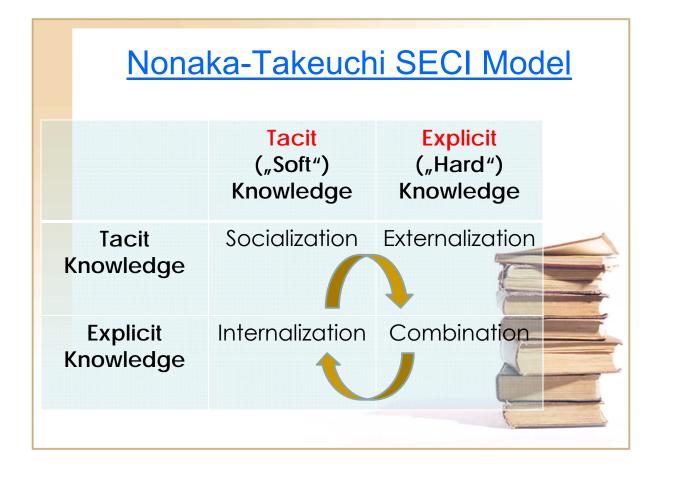
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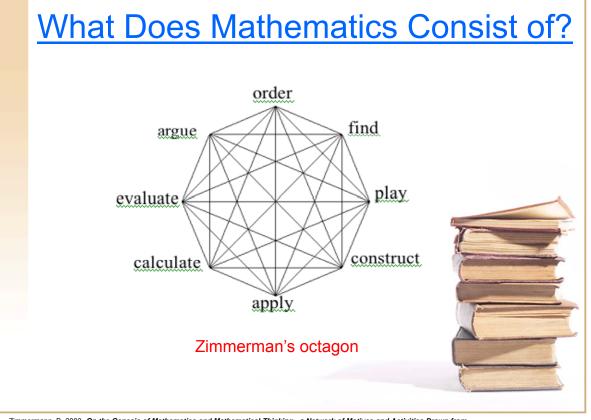




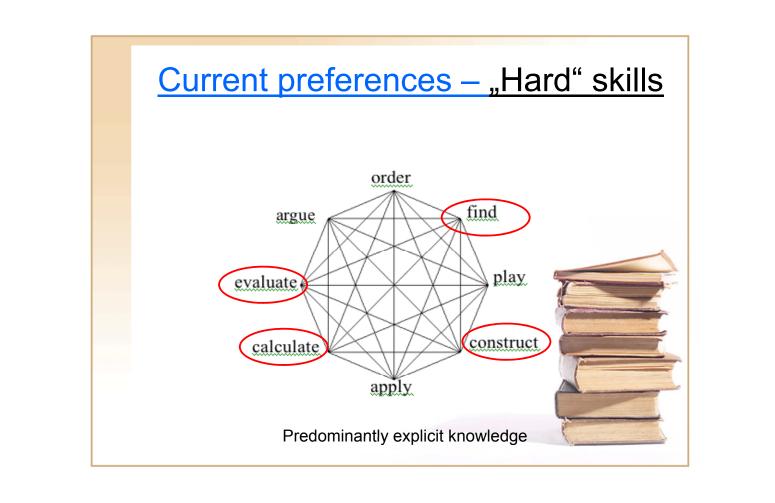


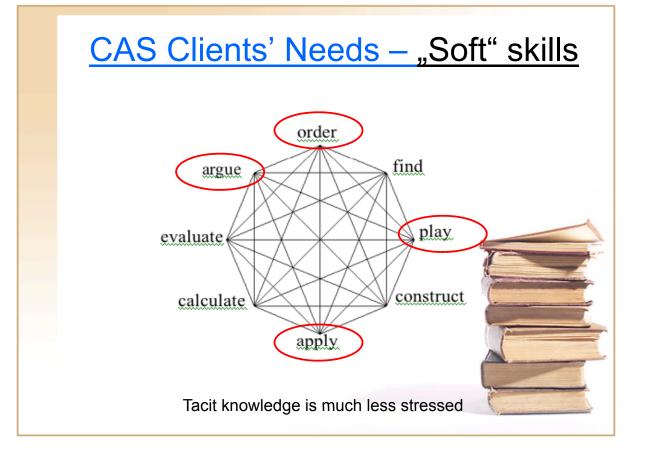
Several Levels of Tacit Knowledge 1. Which rule to apply? 2. Where do my manipulations lead? $\tan \frac{5\pi}{3} or \tan \frac{-\pi}{3}$? 3. Which one is the result? 4. What if my CAS calculates something else?





Zimmermann, B. 2003. On the Genesis of Mathematics and Mathematical Thinking - a Network of Motives and Activities Drawn from the History of Mathematics. In L. Haapasalo and K. Sormunen (Eds.) Towards Meaningful Mathematics and Science Education. University of Joensuu. Bulletins of the Faculty of Education 86, 29-47.





Can Someone Comprehend the Role of Mathematics without Remembering EVERYTHING?

- Mathematics as a <u>goal</u> stressing explicit knowledge
- Mathematics as a <u>tool</u> stressing tacit knowledge

Consequences of the Current Approach

- Economists, physicians, engineers do not expect that mathematicians could co-operate in solving their problems. (Communication also belongs among "soft" skills.)
- 2. Many potential job opportunities for mathematicians are lost (by their not-creating).

